## Measuring the Sky

Turn in one copy of this lab with each group member's printed name and signature. By signing, you certify that you have actively participated in the exercise and have put forth effort in equal share to your fellow group members.

## Printed Name

$\qquad$

Signature
$\qquad$
$\qquad$
$\qquad$

## Measuring the Sky: Part 1 Data



Table 1: Arm Length Measurements

| Names <br> (Across and down) |  |  |  |  | Avg <br> (cm) | PCF <br> (deg/cm) |
| :---: | :--- | :--- | :--- | :--- | :--- | :--- |
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|  |  |  |  |  |  |  |
|  |  |  |  |  |  |  |

Put group member names across the first row AND down the first column.
On the row with your name, have each of your group members measure your eye to thumb distance. You can't measure your own, so that cell is blacked out. The last column, PCF, is Personal Conversion Factor.

Table 2: Angular Size Measurements

| Distance | Name | Ruler Reading <br> Measured <br> (cm) | Angular size <br> Calculated <br> (Degrees) |
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| 20 Am |  |  |  |
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## Part 1 Questions:

1. What happens to the angular size of the meter stick as it is moved further away?
2. What would the angular size of the 2 -meter stick be if it were 100 km away? How many centimeters is that on your ruler? Could you accurately measure that angle? Why or why not?
3. The nearest star ( $\alpha$ Centuri) is $1.7 \times 10^{9} \mathrm{~m}$ in diameter, and 4 light years away. Could you accurately measure this angle? Answer this qualitatively, not quantitatively. ( 1 light year $=9.4 \times 10^{12} \mathrm{~km}$ )
4. Since stars are so small, we can imagine the light coming is coming from a single point. Imagine that two observers are on opposite sides of the Earth looking at $\alpha$ Centuri. Does it look like the star is in the same place in the sky to both of them? To find out:
a) Draw a picture (not to scale) with the star and the observers on the Earth.
b) Find the angular separation between the photons arriving at each observer. ( $R_{\text {Earth }}=12,700 \mathrm{~km}, 1$ light year $=9.4 \times 10^{12} \mathrm{~km}$ )
c) Looking at the angle, what can you say about the lines of sight from the surface of the Earth to the star? Are they in the same, or different directions?
5. Now you are ready to take measurements for your term project. What challenges do you foresee?

## Part 2: Data

Table 3: Mock Landmark observations

| Name | Ruler | Angle | Landmark <br> Azimuth |
| :---: | :---: | :---: | :---: |
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Table 4: Mock Sunset Observations

| Name | Date | Time | Ruler | Angle | Sun <br> Azimuth |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |  |
|  |  |  |  |  |  |
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## Part 2: Questions

1. What is the azimuth of the following directions:

NE: $\qquad$
SW:
ESE (east-south-east):
NNW (north-north-west): $\qquad$
2. In the picture on page 6 of the packet, the landmark and sunset are to the right of West. If West is $270^{\circ}$, will the azimuth of the landmark be greater than or less than $270^{\circ}$ ? Will the Sun's azimuth be greater than or less than the landmark's? How do you know?
3. In this lab, you are given the location of West. When you do your observations, you will need to find West yourself. What are some ways you might do this?
4. Looking at Table 4, compare your group's measurements in the ruler column. Are they similar? Different? Why?
5. Now compare your measurements in the azimuth column. Are they similar? Different? Why?
6. Sometimes you will find that the Sun will start out in a nice clear spot along the horizon, but as the semester goes along, it will move so that the sunset falls behind a building or other obstruction. What are some ways to still get observations, if that happens?

