

```

%%Collisions in two-dimensions
% Note: I have assumed that you are storing all positions in one vector
% x = (x1 y1 x2 y2 . . . xN yN) with each row representing a timestep,
% such that the x-position of particle j
% at timestep i is stored as x(i, 2*j)
% and the y-position is x(i, 2*j+1).
% Similarly, the x-component of the velocity of particle j
% at timestep i is v(i, 2*j)
% and the y-component of the velocity is v(i, 2*j+1).
% Please modify the code below as necessary.

for i=2:M % where M is the total number of timesteps
    % and i = 1 represents
    % the initial positions/velocities

% CHECK FOR COLLISIONS AND UPDATE VELOCITY:
    for j=1:N % For each of the N spheres,
        for k=j+1:N % check the distance to
                    % all remaining spheres.
            dsquared = (x(i,2*j)-x(i,2*k))^2 + (x(i,2*j+1)-x(i,2*k+1))^2
                    %distance between centers squared
            if dsquared < 4*r^2
                % If the distance between
                % centers squared is less than (2r)^2,
                % then they collide.

                % Find the unit vector from sphere j to sphere k:
                djc=[x(i,2*j)-x(i,2*k) x(i,2*j+1)-x(i,2*k+1)];
                unitdjc=djc/norm(djc);

                % Velocity of sphere j in the "centerline"
                %direction of unitdjc:
                vjc=dot(v(i,2*j:2*j+1),unitdjc)*unitdjc;
                % Velocity of sphere j perpendicular to unitdjc:
                vjperp=v(i,2*j:2*j+1)-vjc;

                % Velocity of sphere k in the "centerline"
                % direction of unitdjc:
                vkc=dot(v(i,2*k:2*k+1),unitdjc)*unitdjc;
                % Velocity of sphere k perpendicular to unitdjc:
                vkperp=v(i,2*k:2*k+1)-vkc;

                % To obtain final velocities, swap "centerline" velocities
                % as follows:
                v(i,2*j:2*j+1)=vkc+vjperp;
                v(i,2*k:2*k+1)=vjc+vkperp;

            end
        end
    end
end
end
end

```